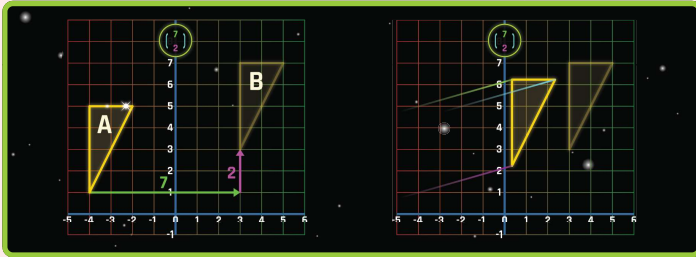
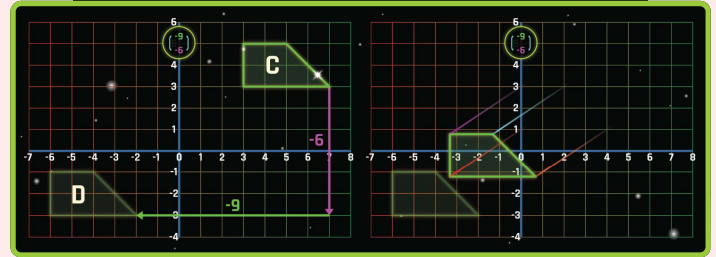


Geometric **TRANSFORMATIONS** involve taking an 'original' image and transforming it in some way to produce a 'new' image

A **TRANSLATION** moves every point on a shape the same distance and the same direction

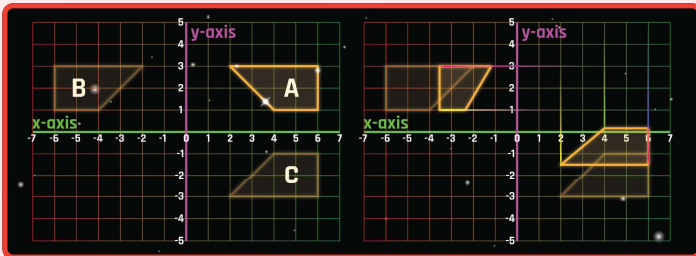


A **TRANSLATION** of A to B is expressed as a vector $\begin{pmatrix} 7 \\ 2 \end{pmatrix}$
 This means, move the original image (A) **7 units horizontally**, and **2 units vertically**, to form the new image (B).

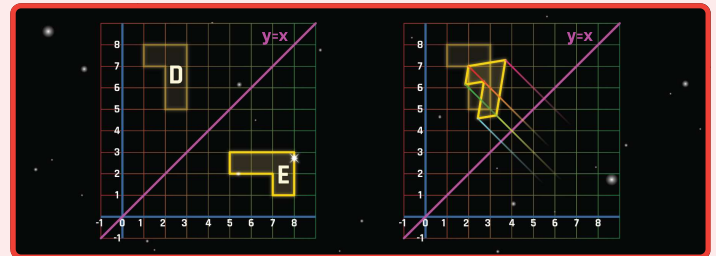


A **TRANSLATION** of C to D is expressed as a vector $\begin{pmatrix} -9 \\ -6 \end{pmatrix}$
 This means, move the original image (C) **-9 horizontally**, and **-6 units vertically**, to form the new image (D).

A **REFLECTION** produces a mirror image of a shape along a line of reflection



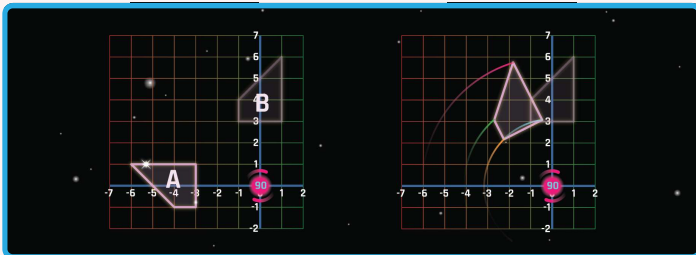
B is a **REFLECTION** of A across the **y-axis**
 C is a **REFLECTION** of A across the **x-axis**



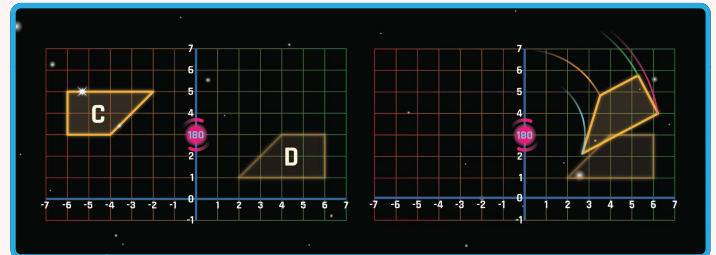
D is a **REFLECTION** of E across the **y=x axis**

A **ROTATION** turns a shape about a fixed point. To perform a rotation, consider these three elements:

- 1 The centre of rotation.
- 2 The angle of rotation.
- 3 The direction of rotation.



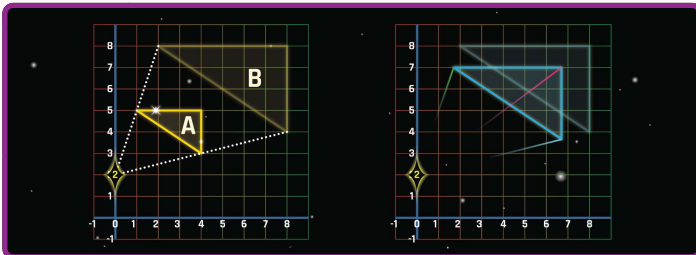
Shape B is a **ROTATION** of shape A **90° clockwise** about the origin (0, 0).



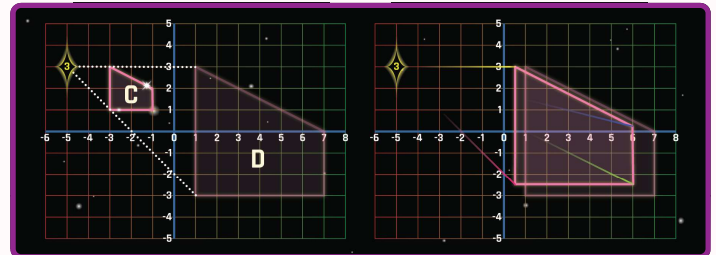
Shape D is a **ROTATION** of shape C **180° clockwise** about the origin (4, 0)

A **ENLARGEMENT** changes the size of the shape. To perform an enlargement, consider these two elements:

- 1 The centre of enlargement – the point from which the object is enlarged.
- 2 The scale factor- the size of the enlargement



Shape B is an **ENLARGEMENT** of shape A by a scale factor of **2**, centre (0,2)



Shape D is an **ENLARGEMENT** of shape C by a scale factor of **3**, centre (-5,3)

Following enlargement, the shapes are similar. This means the shapes are not the same size, but the angles are the same, and side lengths are proportionate.